# Neural Sequence Modeling and Machine Translation



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> Many slides from John DeNero, Philip Koehn, Abigail See

### What is Neural Machine Translation?

- Neural Machine Translation (NMT) is a way to do Machine Translation with a *single neural network*
- The neural network architecture is called sequence-to-sequence (aka seq2seq) and it involves *two* RNNs.



# **Neural Machine Translation (NMT)**



### Sequence-to-sequence is versatile!

- Sequence-to-sequence is useful for *more than just MT*
- Many NLP tasks can be phrased as sequence-to-sequence: •
  - Summarization (long text  $\rightarrow$  short text)
  - Dialogue (previous utterances  $\rightarrow$  next utterance)
  - Parsing (input text  $\rightarrow$  output parse as sequence)
  - Code generation (natural language  $\rightarrow$  Python code)

# **Neural Machine Translation (NMT)**

- The sequence-to-sequence model is an example of a **Conditional Language Model.** 
  - Language Model because the decoder is predicting the next word of the target sentence y
  - **Conditional** because its predictions are *also* conditioned on the source sentence x
- NMT directly calculates P(y|x): •

 $P(y|x) = P(y_1|x) P(y_2|y_1, x) P(y_3|y_1, y_2, x) \dots P(y_T|y_1, \dots, y_{T-1}, x)$ 

Probability of next target word, given target words so far and source sentence x

- **Question**: How to train a NMT system?
- **<u>Answer</u>**: Get a big parallel corpus...

# **Training a Neural Machine Translation system**



Backpropagation operates "end-to-end".

### Sequence Decoding

# **Greedy decoding**

We saw how to generate (or "decode") the target sentence by • taking argmax on each step of the decoder



- This is greedy decoding (take most probable word on each step)
- **Problems with this method?** •

# **Problems with greedy decoding**

- Greedy decoding has no way to undo decisions! •
  - Input: *il a m'entarté* (he hit me with a pie)
  - $\rightarrow$  he \_\_\_\_\_
  - $\rightarrow$  he hit \_\_\_\_
  - $\rightarrow$  he hit a

(whoops! no going back now...)

• How to fix this?

### **Exhaustive search decoding**

Ideally we want to find a (length T) translation y that maximizes 

$$P(y|x) = P(y_1|x) P(y_2|y_1, x) P(y_3|y_1, y_2, x) \dots, P(y_{t-1}, x)$$
$$= \prod_{t=1}^{T} P(y_t|y_1, \dots, y_{t-1}, x)$$

- We could try computing all possible sequences y •
  - This means that on each step t of the decoder, we're tracking V<sup>t</sup> possible partial translations, where V is vocab size
  - This O(V<sup>T</sup>) complexity is far too expensive!

 $(y_T | y_1, \ldots, y_{T-1}, x))$ 

### **Beam search decoding**

- Core idea: On each step of decoder, keep track of the k most probable partial translations (which we call *hypotheses*)
  - k is the beam size (in practice around 5 to 10)
- A hypothesis  $y_1, \ldots, y_t$  has a score which is its log probability:  $\operatorname{score}(y_1,\ldots,y_t) = \log P_{\mathrm{LM}}(y_1,\ldots,y_t|x) = \sum_{i=1}^t \log P_{\mathrm{LM}}(y_i,\ldots,y_t|x)$ 
  - Scores are all negative, and higher score is better
  - We search for high-scoring hypotheses, tracking top k on each step
- Beam search is not guaranteed to find optimal solution
- But much more efficient than exhaustive search!

$$(y_i|y_1,\ldots,y_{i-1},x)$$

# Beam search decoding: example

Beam size = k = 2. Blue numbers = score $(y_1, \ldots, y_t) = \sum_{i=1}^t \log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$ 

<START>

Calculate prob dist of next word

# **Beam search decoding: example**

Beam size = k = 2. Blue numbers =  $score(y_1, \ldots, y_t) = \sum_{i=1}^{r} \log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$ 



# **Beam search decoding: example** Beam size = k = 2. Blue numbers = $score(y_1, \ldots, y_t) = \sum_{i=1} \log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$



For each of the *k* hypotheses, find top *k* next words and calculate scores

### **Beam search decoding: example**

Beam size = k = 2. Blue numbers =  $score(y_1, \ldots, y_t) = \sum_{i=1}^{r} \log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$ 



Of these  $k^2$  hypotheses, just keep k with highest scores

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-1.8

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struck

-3.8

### For each of the *k* hypotheses, find top k next words and calculate scores



got

-0.9



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-1.8





This is the top-scoring hypothesis!

**Beam search decoding: example** Beam size = k = 2. Blue numbers =  $score(y_1, \ldots, y_t) = \sum \log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$ -4.0 tart -2.8 pie -1.7 a -3.4 -0.7 hit me he -3.3 struck -2.5 with -2.9 <START> -2.9 on -1.6 hit -3.5 was struck

-3.8

got

-1.8

-0.9



Backtrack to obtain the full hypothesis

### **Beam search decoding: stopping criterion**

- In greedy decoding, usually we decode until the model produces • a <END> token
  - <u>For example:</u> *<START> he hit me with a pie <END>*
- In beam search decoding, different hypotheses may produce • <END> tokens on different timesteps
  - When a hypothesis produces <END>, that hypothesis is complete.
  - Place it aside and continue exploring other hypotheses via beam search.
- Usually we continue beam search until: •
  - We reach timestep T (where T is some pre-defined cutoff), or
  - We have at least *n* completed hypotheses (where *n* is pre-defined cutoff)



### **Beam search decoding: finishing up**

- We have our list of completed hypotheses.
- How to select top one with highest score?
- Each hypothesis  $y_1, \ldots, y_t$  on our list has a score •  $score(y_1, \dots, y_t) = \log P_{LM}(y_1, \dots, y_t | x) = \sum_{i=1}^t \log P_{LM}(y_i | y_1, \dots, y_{i-1}, x)$
- Problem with this: longer hypotheses have lower scores •
- Fix: Normalize by length. Use this to select top one instead:

$$\frac{1}{t} \sum_{i=1}^{t} \log P_{\text{LM}}(y_i | y_1, \dots, y_{i-1}, x)$$

### Attention

# **Sequence-to-sequence: the bottleneck problem**



**Problems with this architecture?** 

# **Sequence-to-sequence: the bottleneck problem**



### Attention

- **Attention** provides a solution to the bottleneck problem. •
- <u>Core idea</u>: on each step of the decoder, use *direct connection to* the encoder to focus on a particular part of the source sequence



First we will show via diagram (no equations), then we will show • with equations



























Decoder RNN



Use the attention distribution to take a **weighted sum** of the encoder hidden states.

The attention output mostly contains information from the hidden states that received high attention.

Decoder RNN





Concatenate attention output with decoder hidden state, then use to compute  $\hat{y}_1$  as before





























### **Attention: in equations**

- We have encoder hidden states  $h_1, \ldots, h_N \in \mathbb{R}^h$
- On timestep t, we have decoder hidden state  $s_t \in \mathbb{R}^h$
- We get the attention scores  $e^t$  for this step:

$$oldsymbol{e}^t = [oldsymbol{s}_t^Toldsymbol{h}_1, \dots, oldsymbol{s}_t^Toldsymbol{h}_N] \in \mathbb{R}^N$$

We take softmax to get the attention distribution  $\alpha^t$  for this step (this is a • probability distribution and sums to 1)

$$\alpha^t = \operatorname{softmax}(\boldsymbol{e}^t) \in \mathbb{R}^N$$

• We use  $\alpha^t$  to take a weighted sum of the encoder hidden states to get the attention output  $\boldsymbol{a}_t$  $\mathbf{N}$ 

$$oldsymbol{a}_t = \sum_{i=1}^N lpha_i^t oldsymbol{h}_i \in \mathbb{R}^h$$

Finally we concatenate the attention output  $a_t$  with the decoder hidden state  $s_t$  and proceed as in the non-attention seg2seg model

$$[oldsymbol{a}_t;oldsymbol{s}_t]\in\mathbb{R}^{2h}$$

### Impact of Attention on Long Sequence Generation



(Badhanau et al., 2015) Neural Machine Translation by Jointly Learning to Align and Translate

# **Attention is great**

- Attention significantly improves NMT performance
  - It's very useful to allow decoder to focus on certain parts of the source
- Attention solves the bottleneck problem
  - Attention allows decoder to look directly at source; bypass bottleneck
- Attention helps with vanishing gradient problem •
  - Provides shortcut to faraway states
- Attention provides some interpretability
  - By inspecting attention distribution, we can see what the decoder was focusing on
  - We get (soft) alignment for free!
  - This is cool because we never explicitly trained an alignment system
  - The network just learned alignment by itself



### Attention vs Alignment

### Attention activations above 0.1



English-German

(Koehn & Knowles 2017) Six Challenges for Neural Machine Translation

German-English

# **Attention is a general Deep Learning technique**

- We've seen that attention is a great way to improve the sequence-to-sequence model for Machine Translation.
- However: You can use attention in many architectures (not just seq2seq) and many tasks (not just MT)

### More general definition of attention:

- Given a set of vector *values*, and a vector *query*, attention is a technique to compute a weighted sum of the values, dependent on the query.
- We sometimes say that the query *attends to* the values.
- For example, in the seq2seq + attention model, each decoder hidden state (query) *attends to* all the encoder hidden states (values).

# **Attention is a general Deep Learning technique**

### More general definition of attention:

Given a set of vector *values*, and a vector *query*, <u>attention</u> is a technique to compute a weighted sum of the values, dependent on the query.

### Intuition:

- The weighted sum is a selective summary of the information contained in the values, where the query determines which values to focus on.
- Attention is a way to obtain a *fixed-size representation of an* arbitrary set of representations (the values), dependent on some other representation (the query).

### There are *several* attention variants

- We have some values  $h_1, \ldots, h_N \in \mathbb{R}^{d_1}$  and a query  $s \in \mathbb{R}^{d_2}$
- Attention always involves:
  - 1. Computing the *attention scores*  $e \in \mathbb{R}^N$  -----
  - 2. Taking softmax to get *attention distribution*  $\alpha$ :

 $\alpha = \operatorname{softmax}(\boldsymbol{e}) \in \mathbb{R}^N$ 

Using attention distribution to take weighted sum of values: 3.

$$oldsymbol{a} = \sum_{i=1}^N lpha_i oldsymbol{h}_i \in \mathbb{R}^{d_1}$$

thus obtaining the *attention output* **a** (sometimes called the context vector)



### **Attention variants**

There are several ways you can compute  $e \in \mathbb{R}^N$  from  $h_1, \ldots, h_N \in \mathbb{R}^{d_1}$ and  $s \in \mathbb{R}^{d_2}$ :

- Basic dot-product attention:  $e_i = s^T h_i \in \mathbb{R}$ 
  - Note: this assumes  $d_1 = d_2$
  - This is the version we saw earlier
- <u>Multiplicative attention</u>:  $e_i = s^T W h_i \in \mathbb{R}$ 
  - Where  $W \in \mathbb{R}^{d_2 \times d_1}$  is a weight matrix
- Additive attention:  $e_i = v^T \tanh(W_1 h_i + W_2 s) \in \mathbb{R}$ 
  - Where  $W_1 \in \mathbb{R}^{d_3 \times d_1}, W_2 \in \mathbb{R}^{d_3 \times d_2}$  are weight matrices and  $v \in \mathbb{R}^{d_3}$ is a weight vector.
  - $d_3$  (the attention dimensionality) is a hyperparameter

More information:

### Transformers

### Transformer

In lieu of an RNN, use ONLY attention!

High throughput & expressivity: compute queries, keys and values as (different) linear transformations of the input.

Attention weights are queries

 keys; outputs are sums of weighted values.

 $\begin{aligned} \text{Attention}(Q, K, V) = \\ \text{softmax}(\frac{QK^T}{\sqrt{d_k}})V \end{aligned}$ 

Input	Thinking
Embedding	<b>X</b> 1
Queries	<b>q</b> 1
Keys	<b>k</b> 1
Values	<b>V</b> 1
Score	q <sub>1</sub> • k <sub>1</sub> = 112
Divide by 8 ( $\sqrt{d_k}$ )	14
Softmax	0.88
Softmax X Value	<b>V</b> 1
Sum	<b>Z</b> 1

Figure: http://jalammar.github.io/illustrated-transformer/



(Vaswani et al., 2017) Attention is All You Need

### **Transformer Architecture**

- Layer normalization ("Add & Norm" cells) helps with RNN+attention architectures as well.
- Positional encodings can be learned or based on a formula that makes it easy to represent distance.

	EN DE		
	EN-DE	N×	Add & Norm
ByteNet [18]	23.75		
Deep-Att + PosUnk [39]			Multi-Head Attention
GNMT + RL [38]	24.6		
ConvS2S [9]	25.16		
MoE [32]	26.03	Positic	
Deep-Att + PosUnk Ensemble [39]		Encod	ing 🛈 🕂
GNMT + RL Ensemble [38]	26.30		Input
ConvS2S Ensemble [9]	26.36		Embedding
Transformer (base model)	27.3		Î
Transformer (big)	28.4		Inputs



Add & Norm

Feed

Forward

### **Some Transformer Concerns**

**Problem**: Bag-of-words representation of the input. **Remedy**: Position embeddings are added to the word embeddings.

**Problem**: During generation, can't attend to future words. **Remedy**: Masked training that zeroes attention to future words.

**Problem**: Deep networks needed to integrated lots of context. **Remedies**: Residual connections and multi-head attention.

**Problem**: Optimization is hard.

**Remedies**: Large mini-batch sizes and layer normalization.

### **Training Data**

Where do bitexts come from?

- Careful, low level / literal translations: organizational translation processes (eg parliamentary proceedings), multilingual newsfeeds, etc
- Discovered translations (ad hoc translations on webpages, etc)
- Loose translations (multilingual Wikipedia, etc)
- Synthetic data (distillation, backtranslation, etc)



### **Back Translations**

Synthesize an en-de parallel corpus by using a de-en system to translate monolingual de sentences.

- Better generating systems don't seem to matter much.
- Can help even if the de sentences are already in an existing en-de parallel corpus!

system	EN→DE		$ $ DE $\rightarrow$ E	
	dev	test	dev	t
baseline	22.4	26.8	26.4	2
+synthetic	25.8	31.6	29.9	3
+ensemble	27.5	33.1	31.5	3
+r2l reranking	28.1	34.2	32.1	3

Table 2: English $\leftrightarrow$ German translation results (BLEU) on dev (newstest2015) and test (newstest2016). Submitted system in bold.

- ΕN
- test
- 8.5
- 6.2
- 7.5
- 8.6

### Subwords

The sequence of symbols that are embedded should be common enough that an embedding can be estimated robustly for each, and all symbols have been observed during training.

**Solution 1**: Symbols are words with rare words replaced by UNK.

- Replacing UNK in the output is a new problem (like alignment).
- UNK in the input loses all information that might have been relevant from the rare input word (e.g., tense, length, POS).

Solution 2: Symbols are subwords.

- Byte-Pair Encoding is the most common approach.
- Other techniques that find common subwords aren't reliably better (but are somewhat more complicated).
- Training on many sampled subword decompositions improves out-of-domain translations.

Solution 3: Symbols are bytes.

vocab = {'l o w </w>' : 5, 'l o w e r </w>' : 2, 'n e w e s t </w>':6, 'w i d e s t </w>':3}

for i in range(num merges): pairs = get stats(vocab) best = m def get\_stats(vocab): vocab = \_ pairs = collections.defaultdict(int) for word, freq in vocab.items(): symbols = word.split() for i in range/len/symbols)\_1). **def** merge vocab(pair, v in):  $v out = \{\}$ bigram = re.escape(' '.join(pair))  $p = re.compile(r'(?<!\S)' + bigram + r'(?!\S)')$ for word in v in: w out = p.sub(''.join(pair), word) v out[w out] = v in[word] return v out

(Sennrich et al., 2016) Neural Machine Translation of Rare Words with Subword Units



system	sentence
source	health research in
reference	Gesundheitsforsch
word-level (with back-off)	Forschungsinstitut
character bigrams	Fo rs ch un gs in s
BPE	Gesundheits   forsc

Example from Rico Sennrich

- istitutes hungsinstitute te st|it|ut|io|ne|n
- h|ungsin|stitute

# **Advantages of NMT**

### Compared to SMT, NMT has many advantages:

- Better performance
  - More fluent
  - Better use of context
  - Better use of phrase similarities
- A single neural network to be optimized end-to-end •
  - No subcomponents to be individually optimized
- **Requires much less human engineering effort** 
  - No feature engineering
  - Same method for all language pairs

# **Disadvantages of NMT?**

Compared to SMT:

- NMT is less interpretable •
  - Hard to debug
- NMT is difficult to control •
  - For example, can't easily specify rules or guidelines for translation
  - Safety concerns!

### **NMT: the biggest success story of NLP Deep Learning**

Neural Machine Translation went from a fringe research activity in **2014** to the leading standard method in **2016** 

- **2014**: First seq2seq paper published •
- **2016**: Google Translate switches from SMT to NMT •
- This is amazing! •
  - **SMT** systems, built by hundreds of engineers over many years, outperformed by NMT systems trained by a handful of engineers in a few months

- Nope!
- Many difficulties remain: ٠
  - Out-of-vocabulary words
  - Domain mismatch between train and test data
  - Maintaining context over longer text
  - Low-resource language pairs

- Nope!
- Using common sense is still hard



Open in Google Translate





Feedback



### • Nope!

• NMT picks up biases in training data



**Source:** <u>https://hackernoon.com/bias-sexist-or-this-is-the-way-it-should-be-ce1f7c8c683c</u>

- Nope!
- Uninterpretable systems do strange things

English 💌
As the name of the in the Hebrew langu in the language of the

Open in Google Translate



Feedback

### **Summary**

- We learned some history of Machine Translation (MT) •
- Since 2014, Neural MT rapidly replaced intricate Statistical MT



• Sequence-to-sequence is the architecture for NMT (uses 2 RNNs)

- Attention is a way to focus on *particular parts* of the input
  - Improves sequence-to-sequence a lot!



